

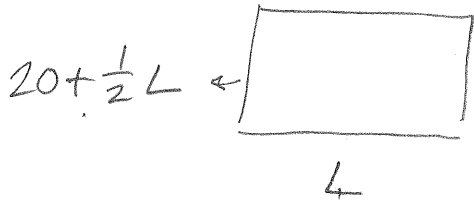
8/28/2012 - See 2.3 (cont.)

Math 1010

#30

See 2.4

See 2.5



$$P = 520$$

$$P = 2L + 2W$$

$$520 = 2L + 2\left(20 + \frac{1}{2}L\right)$$

#24

$F \triangleleft \triangle D$

\triangle

$F \leftrightarrow D$

See 2.4 Further Applications of
Linear Equations

Example 1

Total Money \$5.65

total coins 25 coins

have only Nickels and Quarters

type	# of coins	amount worth	Value
Nickels	x	0.05	$0.05x$
Quarters	$25-x$	0.25	$0.25(25-x)$
	total 25 coins		<u><u>5.65</u></u>

$$0.05x + 0.25(25-x) = 5.65$$

$$0.05x + 6.25 - 0.25x = 5.65$$

$$-0.20x + 6.25 = 5.65$$

$$\begin{array}{r} -6.25 \\ \hline -0.20x = -0.60 \end{array}$$

$$\begin{array}{r} -0.20x = -0.60 \\ \hline -0.20 \quad \quad -0.20 \\ \hline x = 3 \end{array}$$

$$x = 3$$

3 Nickels

22 Quarters

Example

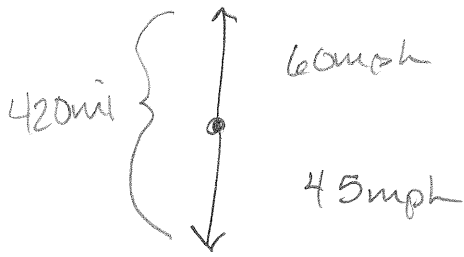
two cars leave at same time,

1 North at 60mph

1 South at 45mph

how many hours until

they are 420 mi apart



	Rate	time	distance
Car 1	60	x	60x
Car 2	45	x	45x

$$rt = d$$

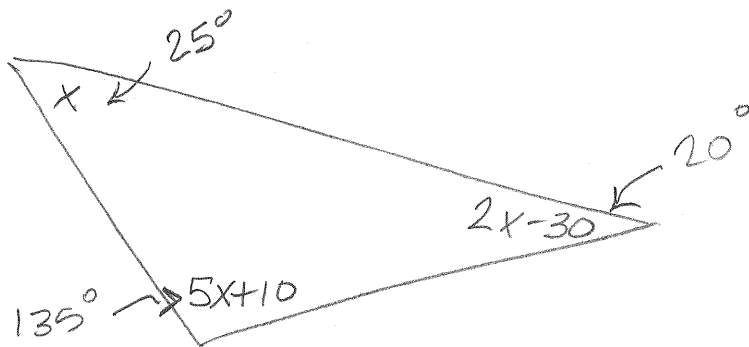
$$I = Pr$$

$$240 + 180 = 420$$

$$60x + 45x = 420$$

$$x = 4 \text{ hrs}$$

triangle



$$x + 5x + 10 + 2x - 30 = 180$$

$$8x - 20 = 180$$

$$+20 \quad +20$$

$$\frac{8x}{8} = \frac{200}{8}$$

$$x = 25$$

$$25^\circ, 20^\circ, 135^\circ$$

Sec 2.5 Linear Inequalities in one Variable

An inequality says that two expressions are not equal but they are still related.

$$7 > 2$$

$$x < 5$$

$$5x + 6 < 76$$

Addition Property

if $A < B$ then
 $A + C < B + C$

Multiplication Property

if $A < B$ and $C > 0$
(aka is +)

then $AC < BC$

if $A < B$ and $C < 0$

then

$$AC > BC$$

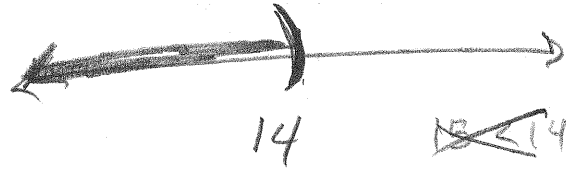
Steps to solve

1. Simplify each side separately
2. Isolate variable terms on one side
3. Isolate the variable

$$\#12 \quad 5x + 6 < 76$$
$$\quad \quad \quad -6 \quad \quad -6$$

$$\frac{5x}{5} < \frac{70}{5}$$

$$x < 14$$



$$(-\infty, 14)$$

$$\#28 \quad x - 3(x+1) \leq 4x$$

$$x - 3x - 3 \leq 4x$$

$$\begin{array}{r} -2x - 3 \leq 4x \\ +2x \quad \quad +2x \end{array}$$

$$\frac{-3}{6} \leq \frac{6x}{6}$$

$$-\frac{1}{2} \leq x$$

$$x \geq -\frac{1}{2}$$



$$-\frac{1}{2} \leq 2$$

$$[-\frac{1}{2}, \infty)$$