

Sec 2.4 6, 9 ^{Sec 2.4}

#6

1st take $180^\circ - 36 = 144$

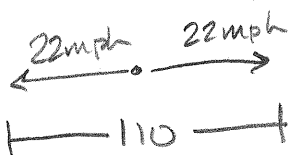
2nd divide 144 by 2 \uparrow two angles together
to split between the 2 angles
 $144 \div 2 = 72^\circ$

#9

	# of coins	Denomination	Value
Pennies:	x	0.01	$0.01x$
Dimes:	x	0.10	$0.10x$
Quarters:	$44 - 2x$	0.25	$0.25(44 - 2x)$
	total coins 44		<u><u>4.37</u></u>

$$0.01x + 0.10x + 0.25(44 - 2x) = 4.37$$

21.



	Rate	time	distance
Steamer 1	22	t	$22t$
Steamer 2	22	t	$22t$
			<u><u>110</u></u>

$$22t + 22t = 110$$

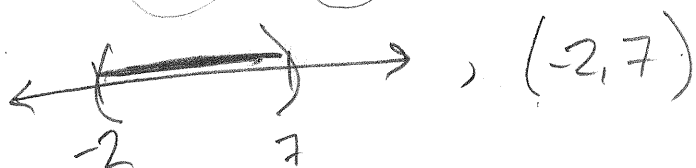
$$5x + 6 < 76$$

3 part Inequality

$$\begin{array}{ccc} -4 < x - 2 < 5 \\ +2 & +2 & +2 \end{array}$$

~~$$-4 < x - 2 > 5$$~~

$$-2 < x < 7$$



$$\text{Ex: } \begin{array}{ccc} -2 < -4x - 5 \leq 7 \\ +5 & +5 & +5 \end{array}$$

$$\frac{3}{-4} < \frac{-4x}{-4} \leq \frac{12}{-4}$$

$$-\frac{3}{4} > x \geq -3$$

$$-3 \leq x < -\frac{3}{4}$$



Sec 2.6 Set Operations

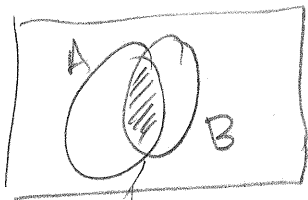
Compound Inequalities

Set Operations

- Intersections
- Unions

Intersection: the set of elements that
Belong in both sets

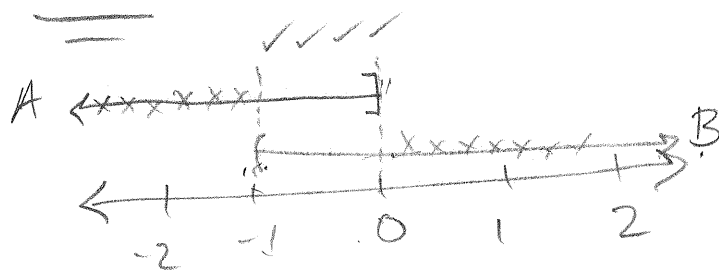
Key phrase: and



$$A \cap B$$

↑
symbol

for Intersection



$$A \cap B = (-1, 0]$$

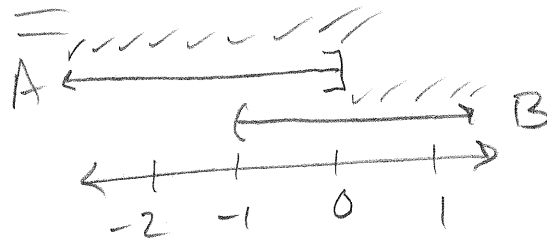
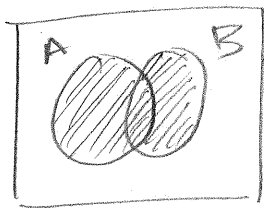
↓
Read "A intersect B"
or "A and B"



$$A \cap B = \emptyset$$

Union: the set of elements that
Belongs to either of the sets

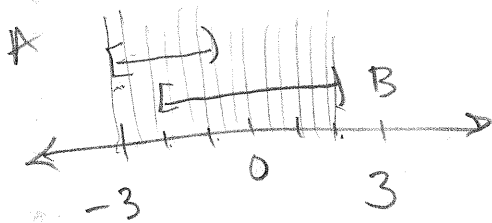
Key Word: or



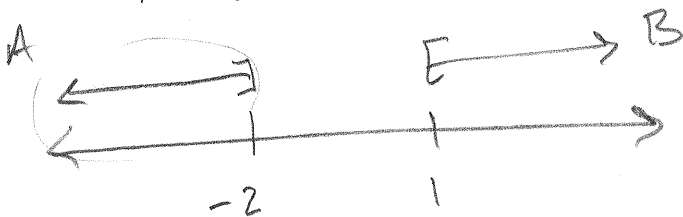
$$A \cup B = \mathbb{R}$$

$A \cup B$ ← Read
"A union B"
or
"A or B"

all real #s
 $(-\infty, \infty)$



$$A \cup B = [-3, 3]$$



$$A \cup B = (-\infty, -2] \cup [1, \infty)$$

A compound Inequality consists of two inequalities linked by a connective words (and/or)

How to Solve

1. Solve each Inequality separately

2. a) if joined with "and", the solution is the numbers that satisfy both inequalities

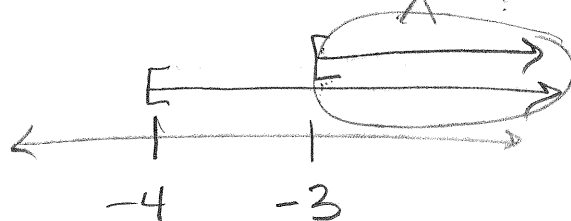
b) if joined with "or", the solution is the numbers that satisfy either inequality

$$\text{Ex: } 2x \leq 4x + 8 \quad \underline{\text{and}} \quad 3x \geq \frac{-9}{3}$$

$$\begin{array}{r} -4x \\ \hline -2x \leq \frac{8}{-2} \end{array}$$

$$\begin{array}{r} -2x \leq \frac{8}{-2} \\ \hline x \geq -4 \end{array}$$

$$x \geq -3$$



Solution
 $[-3, \infty)$